

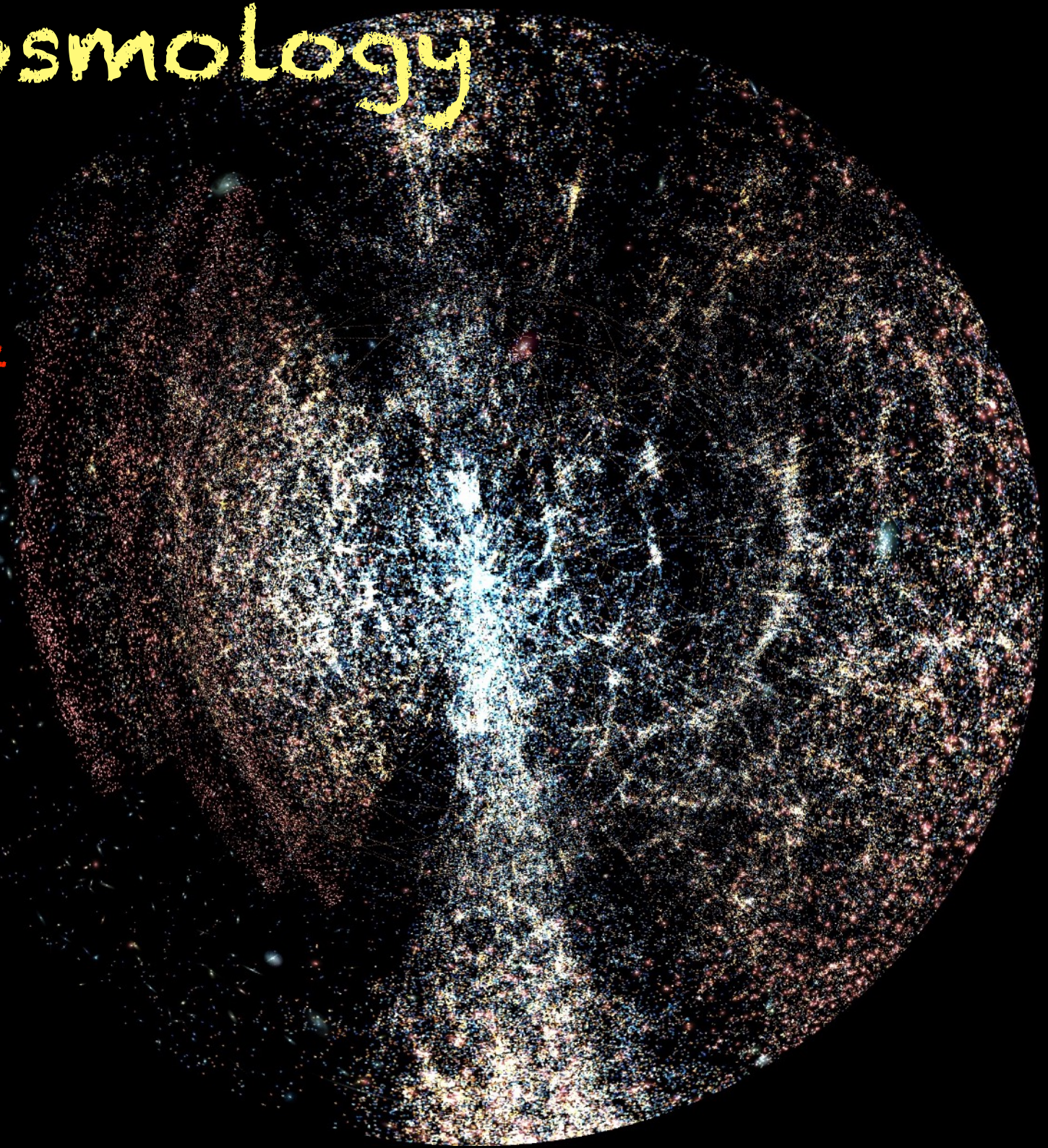
The challenges of using Baryon Acoustic Oscillations distances for cosmology

Standard cosmology at the
threshold of change?

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Outline

from Baryon Acoustic Oscillations?

- Late time Cosmology Independent
accurate distance measurements

relevant Challenges...

... their implications

New Proposals

GOALS of BAO distances

- Constrain cosmological models
- Consistency tests (e.g. tensions)

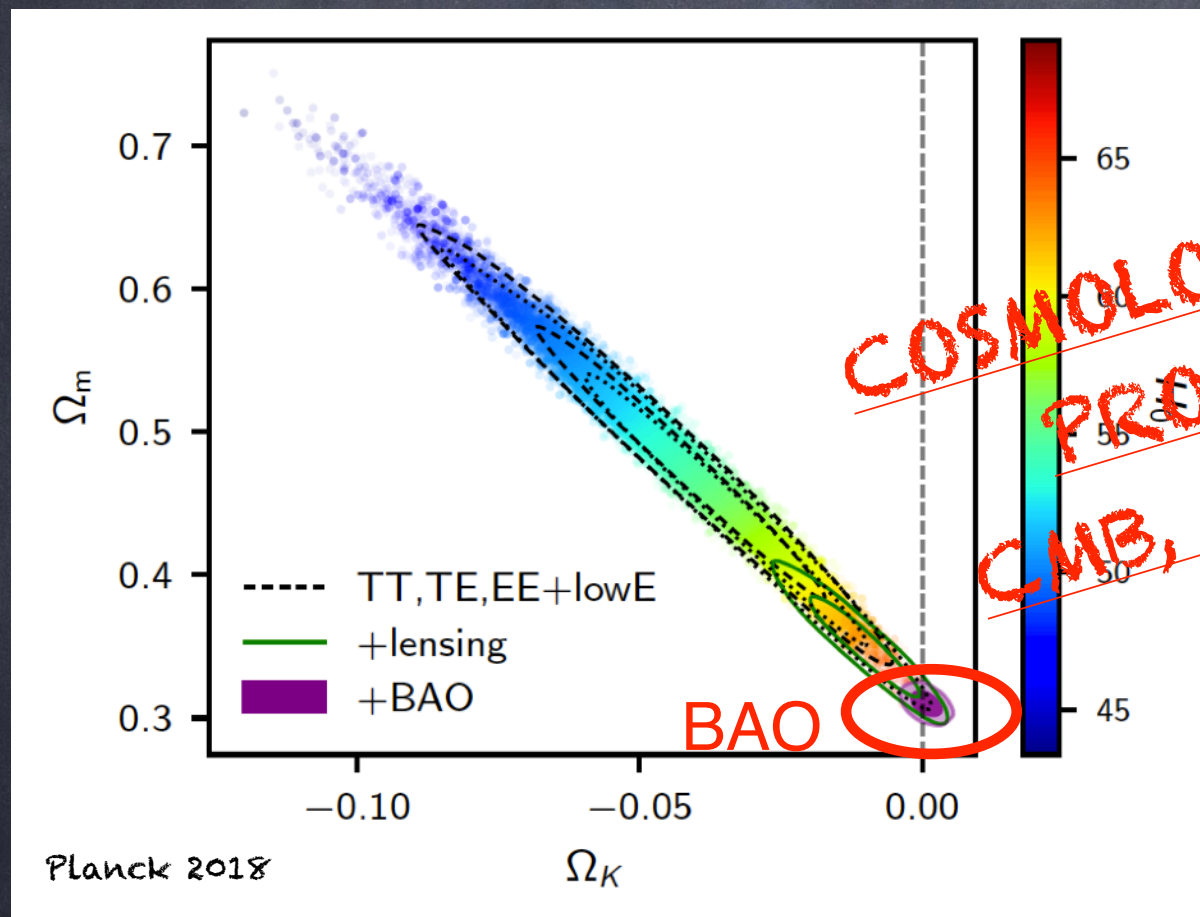
HOW

- BAO distances combined w/ other Cosmological observations.
 - Degeneracy among parameters are reduced.
- BAO distances alone (e.g. Dark Energy detection)

Late Universe Acceleration

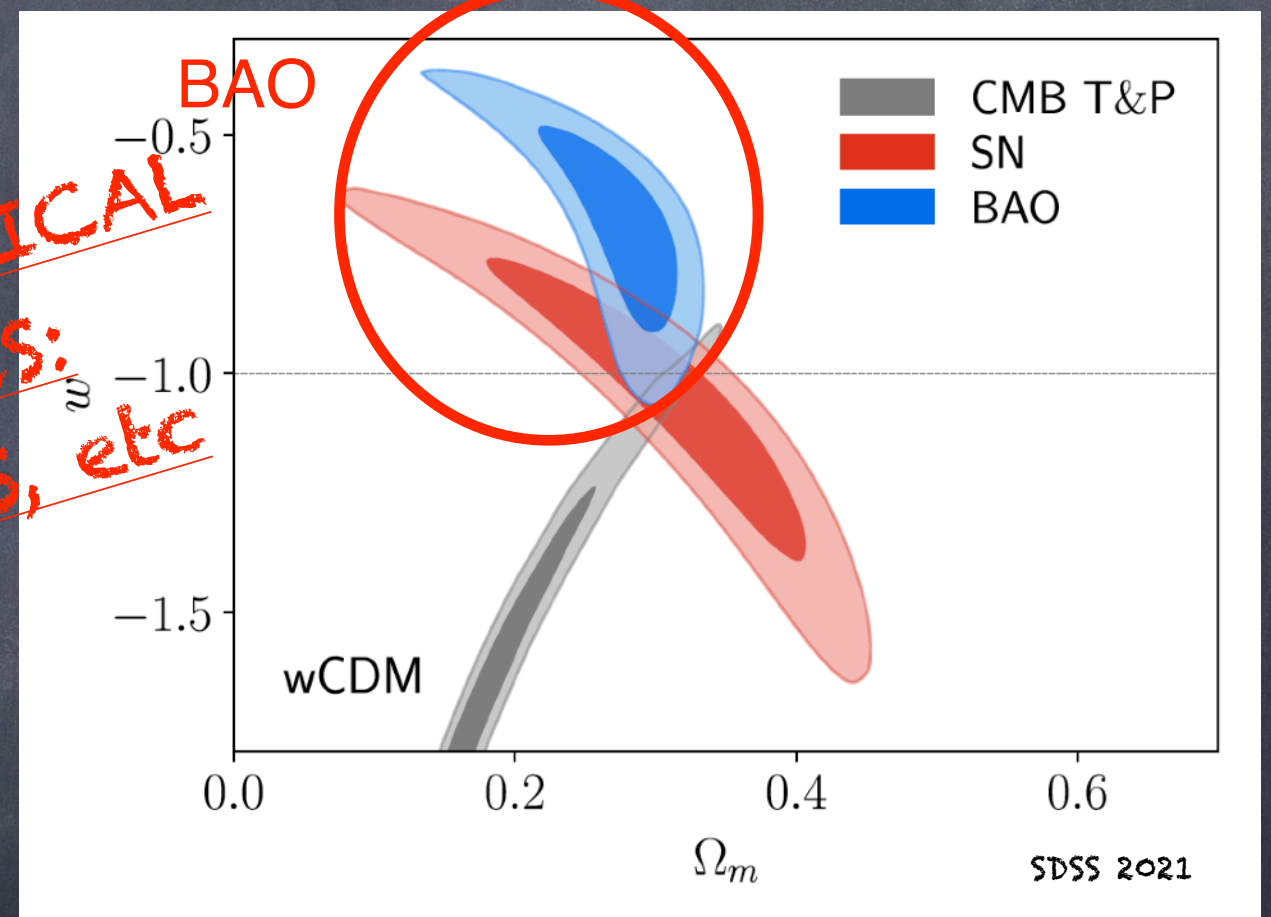
PROBE COMBINATION

energy densities



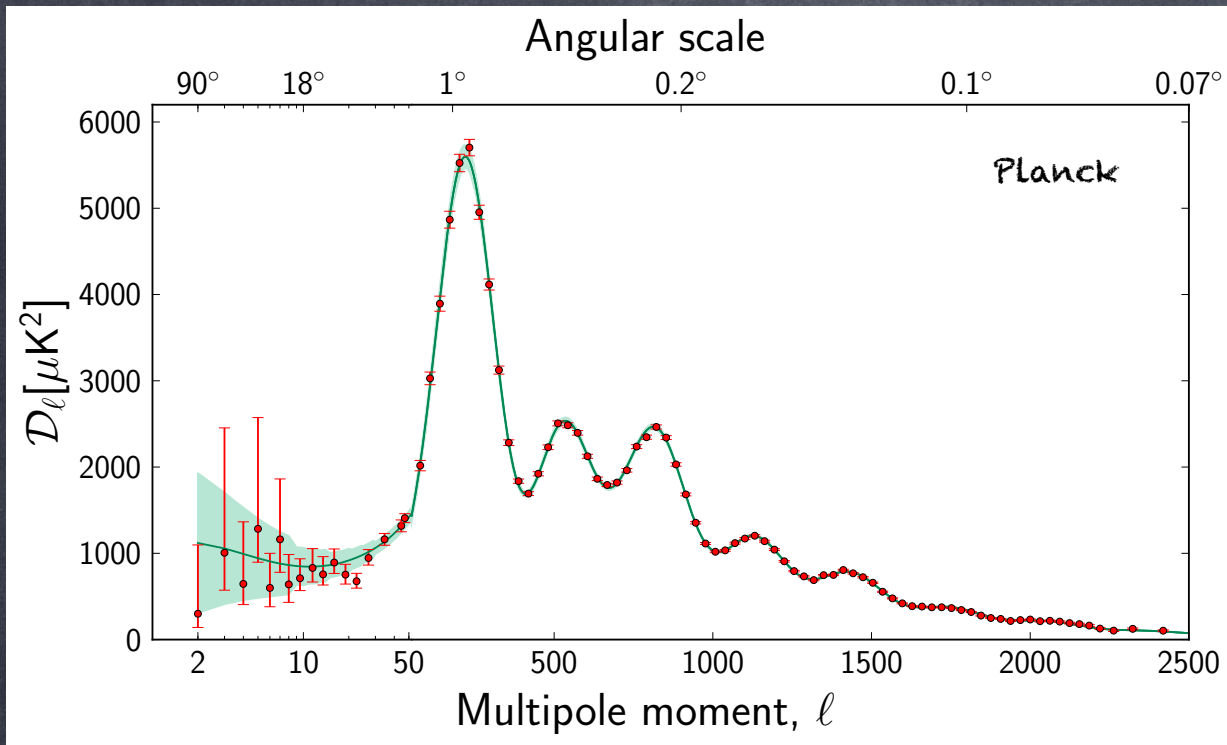
DIFFERENT PROBES

eq. state param. $P = \rho w$



BUT... Let's take a step back...

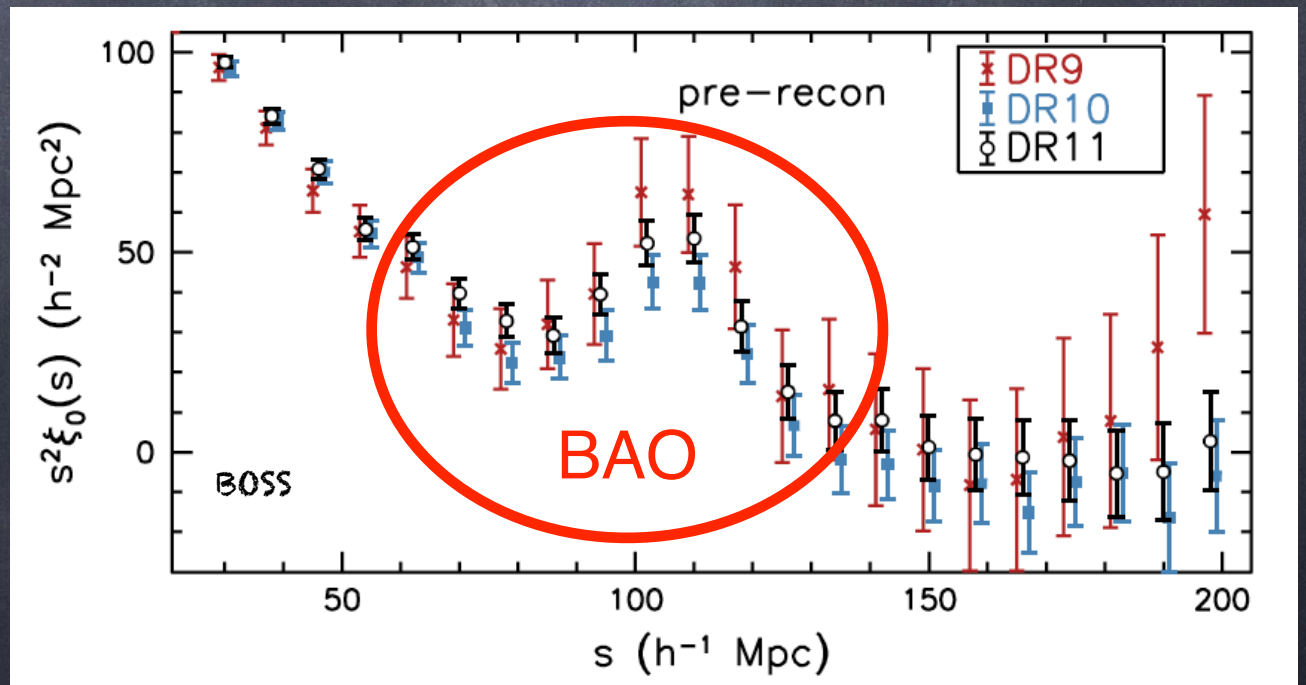
Early times...



Initial fluctuations
 temperature fluctuations in the
 CMB ($\delta T/T \sim 10^{-5}$)

...Late times

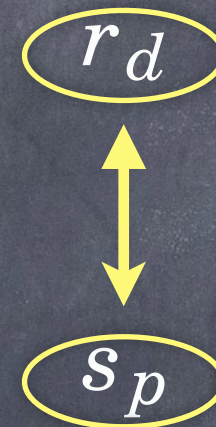
Baryon acoustic oscillations in
 the galaxy Correlation
 Function



Which scale?

Which scale in the clustering Correlation Function?

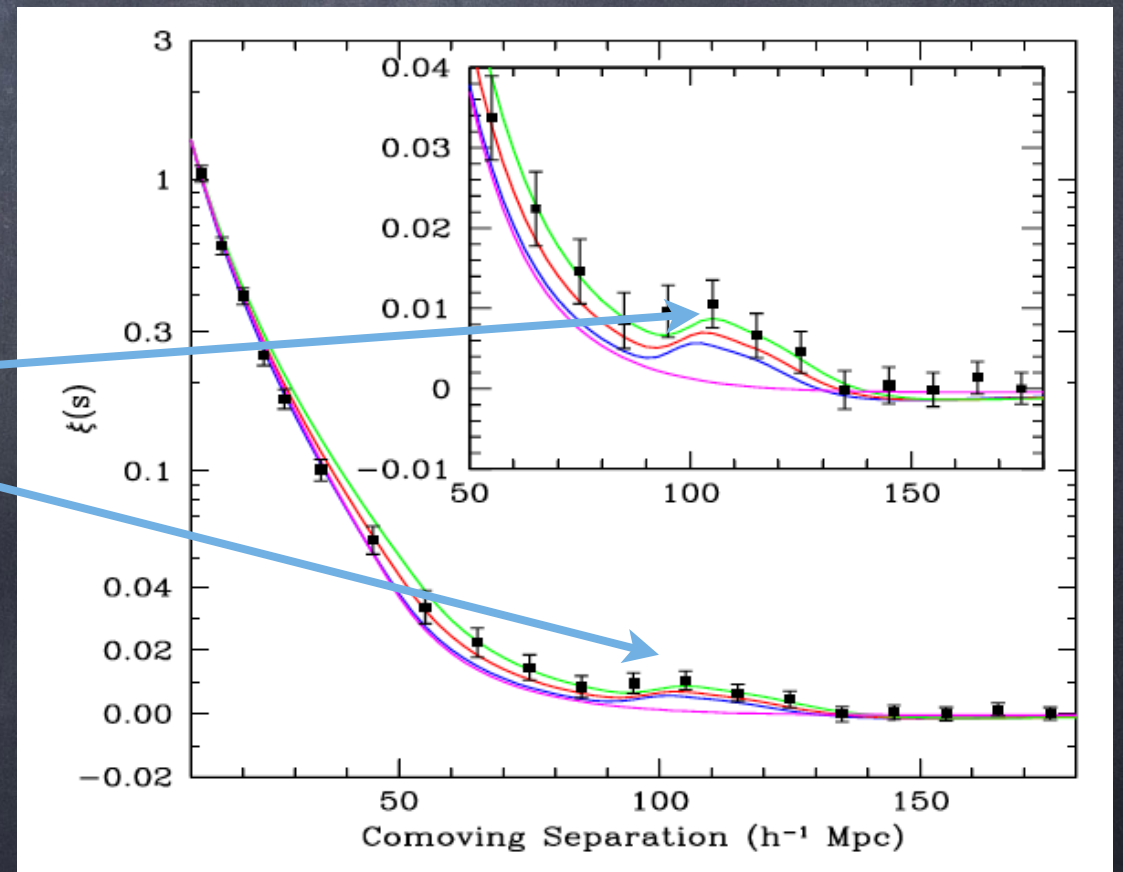
Comoving baryon acoustic scale
Baryon acoustic peak - Matter CF



r_d is Geometrical (indep. primordial fluctuation)

Eisenstein et al (2005)

Baryon
acoustic peak
POSITION!!
STANDARD RULER



Cosmological standard ruler

Shanks et al. (1987)

Eisenstein et al (1998)

Bassett, Hlozek (2009)

- Object of known size constant in redshift.

Large Scale Structure

Statistical standard ruler

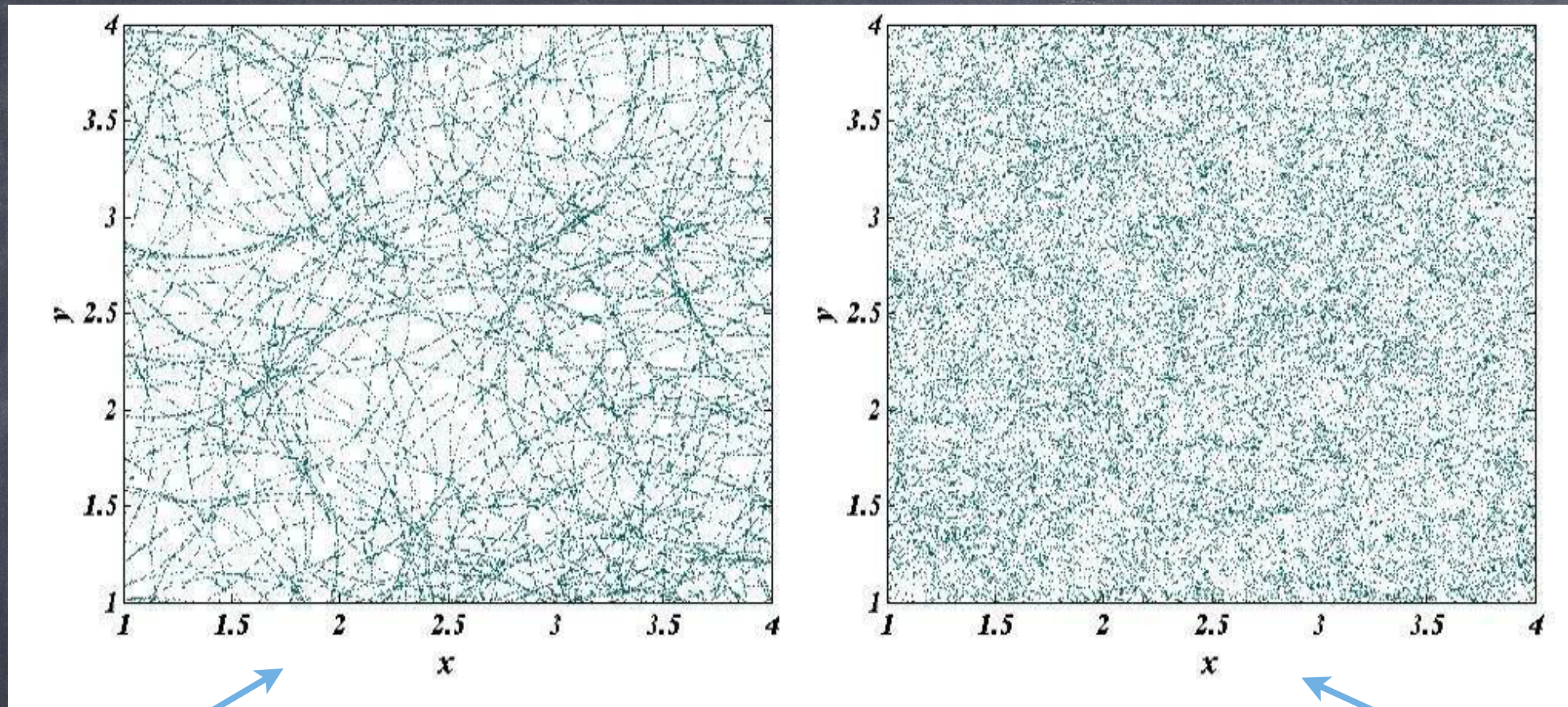
Clustering of galaxies \longrightarrow PREFERRED SCALE
(constant in redshift)

Observed at different redshifts

Constrain the angular diameter distance.

Cosmological parameters

Bassett, Hlozek (2009)



intuitive picture

realistic picture

Angular Diam. Distance

$$d_A = \frac{x}{\theta}$$

actual size

$$d_A = \frac{\chi}{1+z}$$

cosm. parameters

Are BAO a background probe ?

BAO distances

Considered and used as late time background measurements

However, the galaxy 2pcf depends on

primordial fluctuations + background + late time non-lin +
+ non-standard cosmologies, ...

old idea ?

peak scale \leftrightarrow sound-horizon

HOWEVER \rightarrow precision cosmology

~~peak \leftrightarrow sound-horizon !!~~

BAO distance

Xu et al. (2012)

- Comoving coordinates \rightarrow fiducial cosmology assumed.

Alcock-Paczynski distortion effect

Right Cosmology



Wrong Cosmology



- Clustering 2pcf monopole at redshift z

Distorted

True

small
correction

$$\xi_0^D(s^F) = \xi_0^T(\alpha s^F) + O(\epsilon)$$

Isotropic shift

$$\alpha = D_V(z)/D_V^F(z)$$

BAO DISTANCE

$$D_V(z) = \left[(1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

Cosmological Distance: D_V

FROM

Distorted	True	small correction
$\xi_0^D(s^F)$	$\xi_0^T(\alpha s^F)$	$+ O(\epsilon)$

Isotropic shift

$$\alpha = D_V(z) / D_V^F(z)$$

MEASURED

in a background-independent way

• But we need a 2pcf model

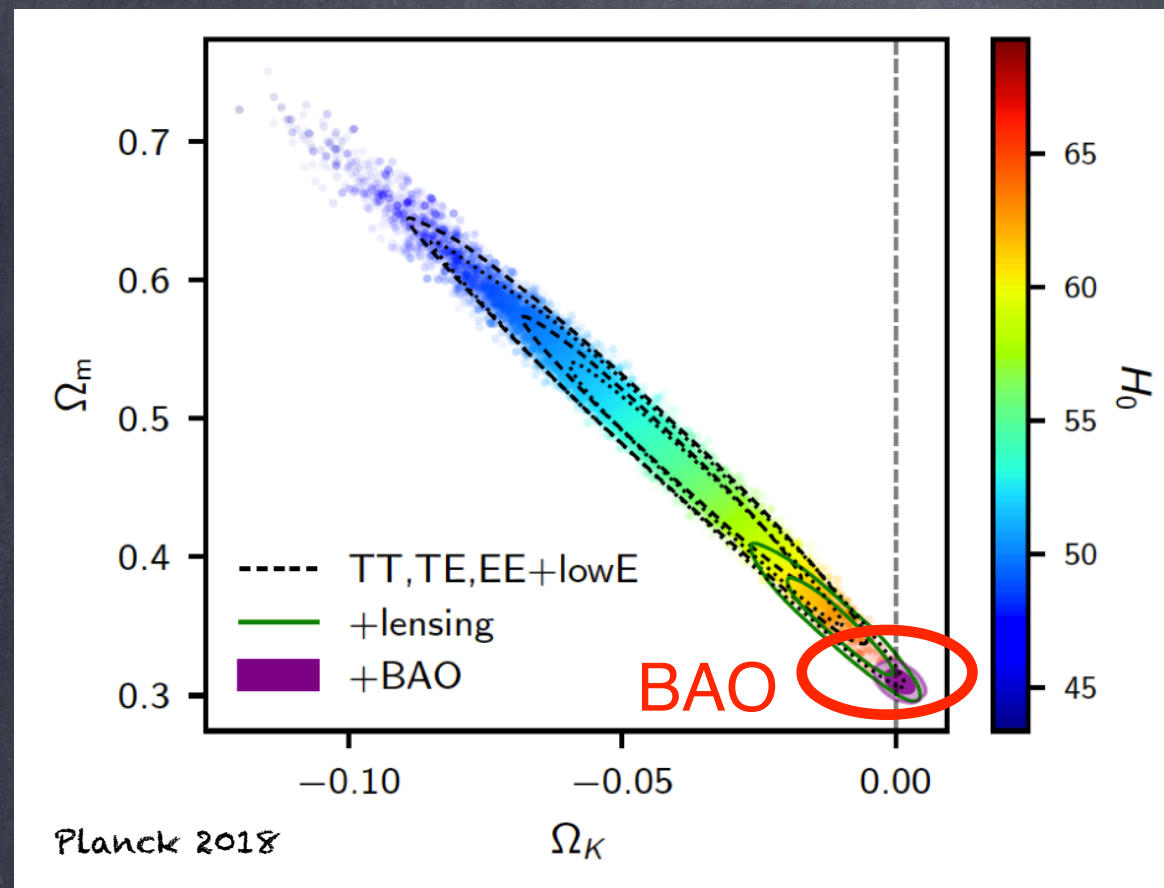
$$\xi_0^D(s^F) = \xi_0^{\text{model}}(\alpha s^F) + O(\epsilon)$$

DATA

THEORY

IT SHOULD NOT INTRODUCE
UNWANTED DEPENDENCIES

BAO and cosmology



"BAO is now a mature field employing analysis techniques that have been tested extensively against simulations. There is no good reason to ignore these measurements."

Efstathiou (2021)

"However, for readers interested in spatial curvature, whether *Plik* or *CamSpec* is the more reliable likelihood is irrelevant because differences between Planck likelihoods are overwhelmed when Planck data are combined with BAO."

Efstathiou, Gratton (2020)

How cosmology indep?

S.A, Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

PRACTICE

- BAO distances employed to constrain ANY cosm. model

IMPLICIT ASSUMPTION

- BAO: Cosmology-Indep. Accurate distance measurements
(Inference done without cosmolog. model assumptions)

QUESTION

- At what level is this true?
We will try to answer to this question!

Cosmological Distance: D_V

FROM

Distorted	True	small correction
$\xi_0^D(s^F)$	$\xi_0^T(\alpha s^F)$	$+ O(\epsilon)$

Isotropic shift

$\alpha = D_V(z) / D_V^F(z)$

MEASURED

in a background-independent way

• But we need a 2pcf model

$$\xi_0^D(s^F) = \xi_0^{\text{model}}(\alpha s^F) + O(\epsilon)$$

DATA

THEORY

IT SHOULD NOT INTRODUCE
UNWANTED DEPENDENCIES

2pcf non-linearities

- Non-linear gravity
- Redshift Space Distortions (velocities)
- Bias (halos, galaxies)

Smith et al (2008)

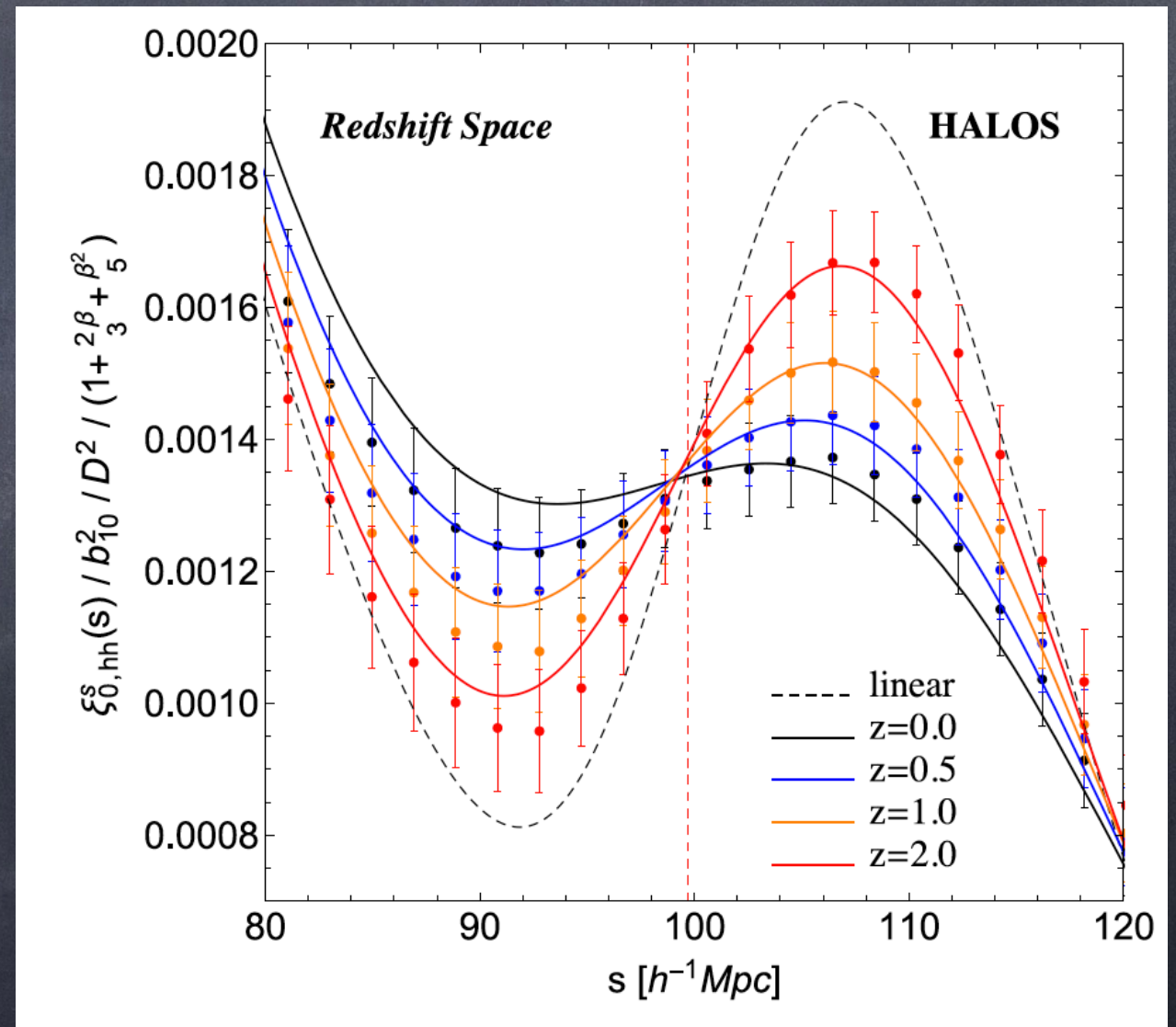
Crocce, Scoccimarro (2008)

Desjacques (2008)

S.A, Starkman, Sheth - MNRAS (2016)

2pcf in BAO range of scales

Relevant effects!



Minimal 2pcf model

S.A. Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

- Minimal non-linear model for the 2pcf-monopole

$$\xi_0(s) \simeq \int \frac{dk}{k} \frac{k^3 \rho^{lin}(k; z=0)}{2\pi^2} A^2 e^{-k^2 \sigma_0^2} j_0(ks)$$

only dependence

$\{\omega_b, \omega_c, n_s\}$

scale independent
but time dependent

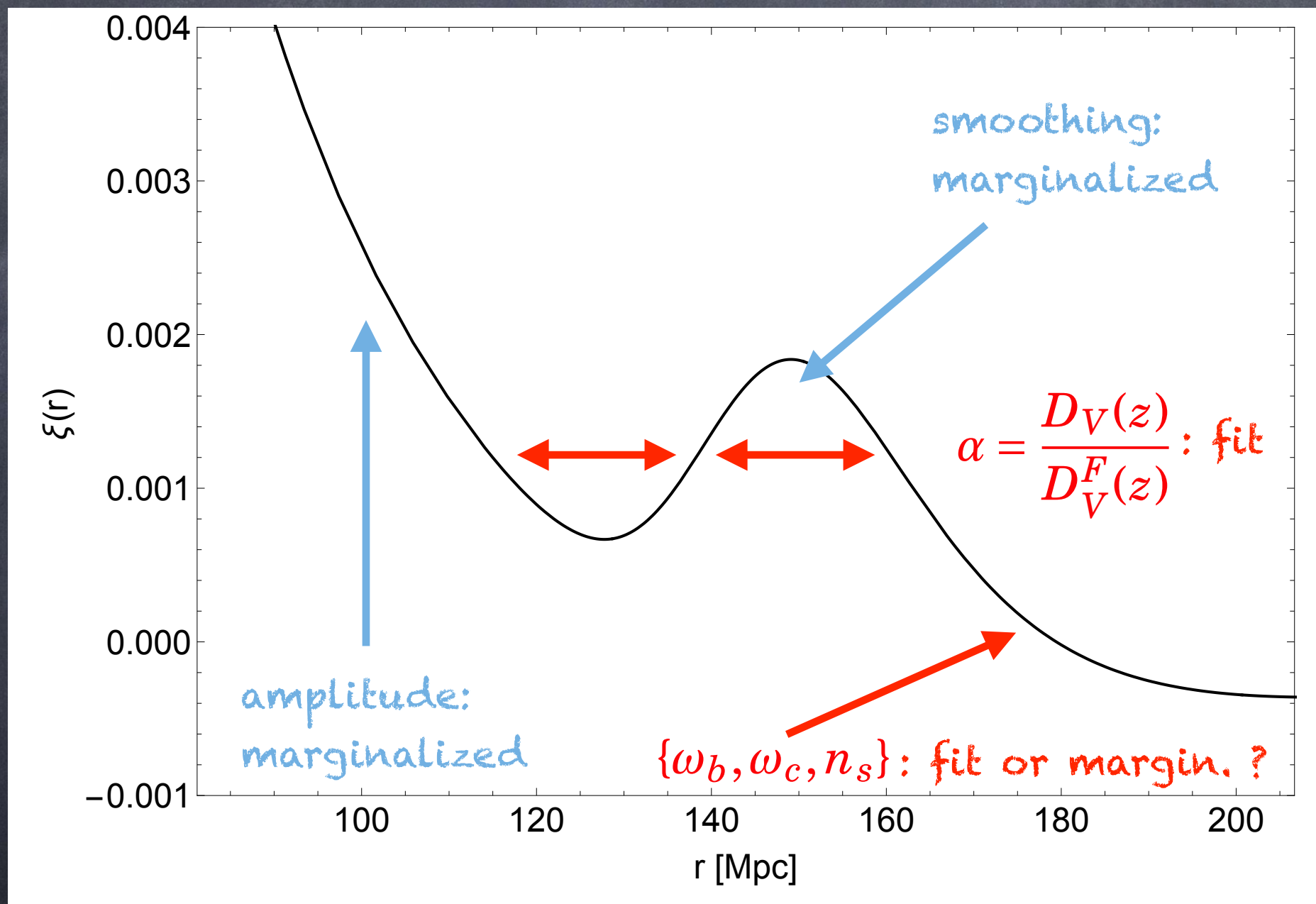
for:

- Λ CDM
- quintessence
- flat and non-flat geom.

dependence

- + growth
- + Dark Energy model
- + curvature
- + tracer

visually



2pcf model-fitting

S.A, Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

- 2pcf Alcock-Paczynski equation:

$$\xi_0^D(s^F) = \xi_0^{\text{model}}(\alpha s^F) + O(\epsilon)$$

DATA

THEORY

Parameters:

$$\theta_\mu = \{\omega_b, \omega_c, n_s, A, \sigma_0, D_V(z)\}$$

$D_V(z)$ PROPERLY ESTIMATED

- Dv problem → large error ~ 100%

- $r_d(\omega_b, \omega_c)$ and $D_V(z)$

- similar error

- very high correlation coeff. ~0.9999

$\frac{r_d(\omega_b, \omega_c)}{D_V(z)}$
well constrained

BAO distances

S.A, Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

We obtained Cosmological Distances that are:

- 1) Geometrical (indep. primordial fluctuation parameters)
- 2) Dark-Energy model-independent (Λ CDM + Quintessence)
- 3) Spatial curvature-independent
- 4) Tracer-independent (galaxy, quasars, clusters etc...)

Purely-Geometric-BAO

Excluded ?

Modified gravity cosmologies ? DE-DM coupling ?

standard BAO (BAO-only)

Seo et al. (2008)

Xu et al. (2012)

- Template fitting:

$$\xi_0^D(s^F) = B^2 \xi_m^{\text{fixed}}(\alpha s^F) + \xi^{\text{BB}}(s^F) + O(\epsilon)$$

~ min. model

$$\xi^{\text{BB}}(s^F) = \frac{a_1}{(s^F)^2} + \frac{a_2}{s^F} + a_3$$

FIXED parameters

$$\theta_\mu^{\text{fixed}} = \{\omega_b^F, \omega_c^F, n_s^F, \sigma_0^F\}$$

5 varied parameters

$$\theta_\mu = \{\alpha, B, a_1, a_2, a_3\}$$

marginalized

Cosmological information

- Because of cosm. param. fixing

$$\alpha = \frac{D_V(z)}{D_V^F(z)} \left(\frac{r_d^F}{r_d} \right) \quad \text{prescription}$$

ARE ERRORS ON α
PROPERLY ESTIMATED?

standard BAO: problems

S.A, Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

1) parameter fixing

2) which 2pcf model?

Cosm. model \rightarrow Unique galaxy 2pcf ?



PROPER INFERENCE ??

problem 1: parameter fixing

S.A, Corasaniti, Sanchez, Starkman, Sheth, Zehavi - PRD (2019)

all dependencies fitted/marginalized

fixed parameters

Errors underestimated
by nearly a factor of 2!!

	CF-MF	standard-BAO
\bar{z}	$\frac{r_d}{D_V(\bar{z})}$	$\frac{r_d}{D_V(\bar{z})}$
1.1	1.1%	0.6%
1.3	1.0%	0.6%

Euclid forecasts

... but problem 2:

which galaxy-2pcf theoretical model ??

problem 2: 2pcf theoretical model

NON-LINEAR - state of the art: numerical approach

- Ab-initio N-body simulations for DM (nearly convergent).
DM Halo identifiers (FoF, S.O., etc...).
- Too slow to run MCMC for data analysis.
- Galaxies? NO ab-initio simulations.
 - We lack a complete predictive theory for galaxy formation
 - Halo Occupation Distribution prescription.
(how many galaxies fit in a halo)
 - How do galaxies precisely populate the matter field ???

Galaxy 2pcf theoretical model

2pcf MODEL

- Analytical 2pcf of galaxies NOT KNOWN:
 - non-linear gravity
 - Redshift-Space-Distortions (RSD)
 - galaxy bias
 - number of parameters
 - unknown range of scales
- Reference to "VALIDATE": N-body simulations + galaxies in halos

What that means?

2pcf-model Validation

- ① Fluid equations? Which starting equations?
SPT? EFTofLSS? ...
- ② Perturbative order?
- ③ Can we predict the range of scale?
- ④ Parameters: quantities to be measured from data.
Meaning of fixing them?
Misestimation of other parameter best-fits and errors.
- ⑤ Select parameters? Need to be careful!
Some parameters have a physical meaning

2pcf-model validation

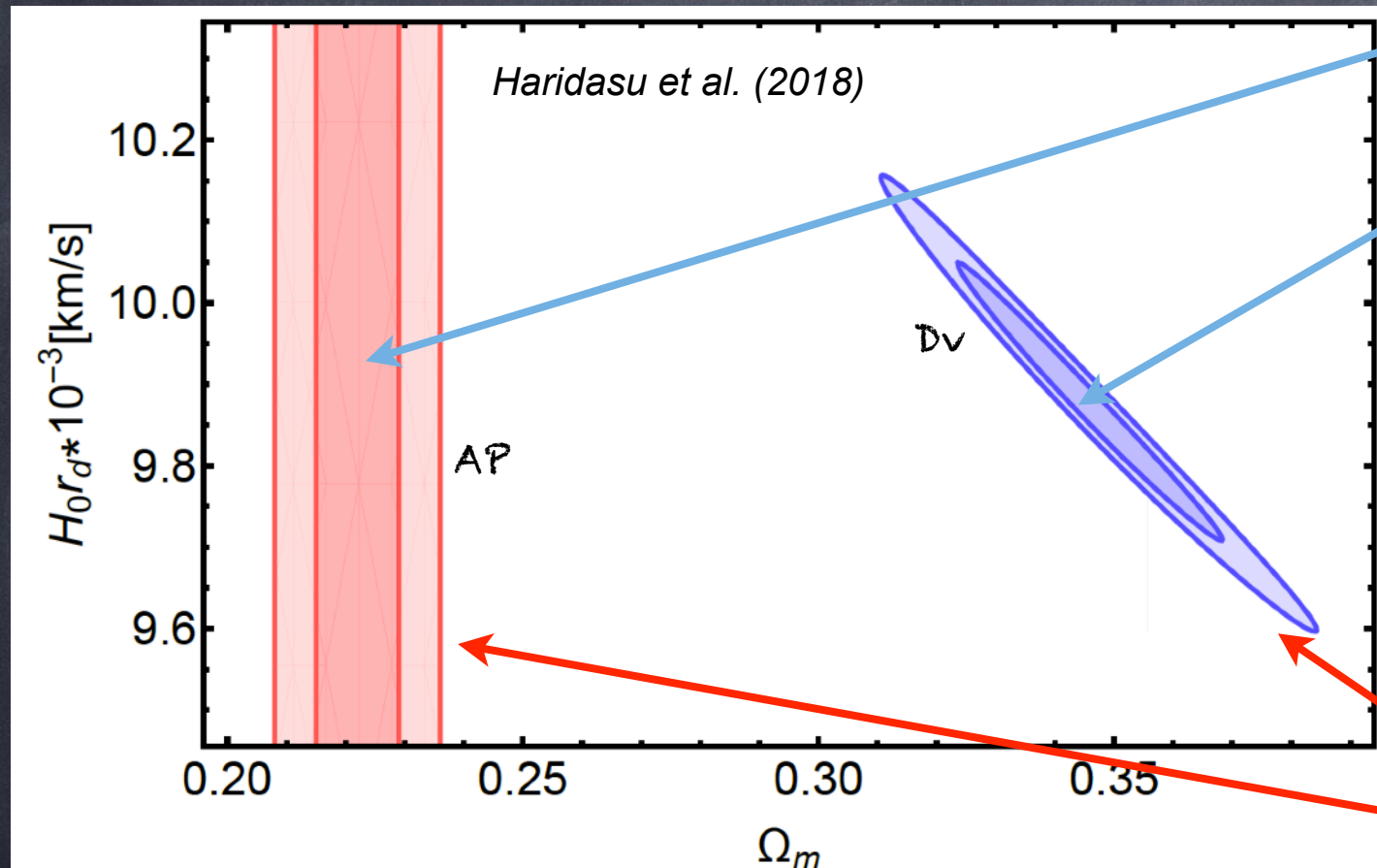
Only rule

unbiased results w.r.t. survey mocks

... and the error estimation?

error estimation

- Λ CDM analyzed as flat-LCDM
- AP, DV: combinations of $H(z)$ and $D_A(z)$



Euclid forecasts

Wrong model

↓

Best fit is biased

Wrong error

↓

False detection

STRONG-TENSION



MILD-TENSION

problem 2: complementary approach

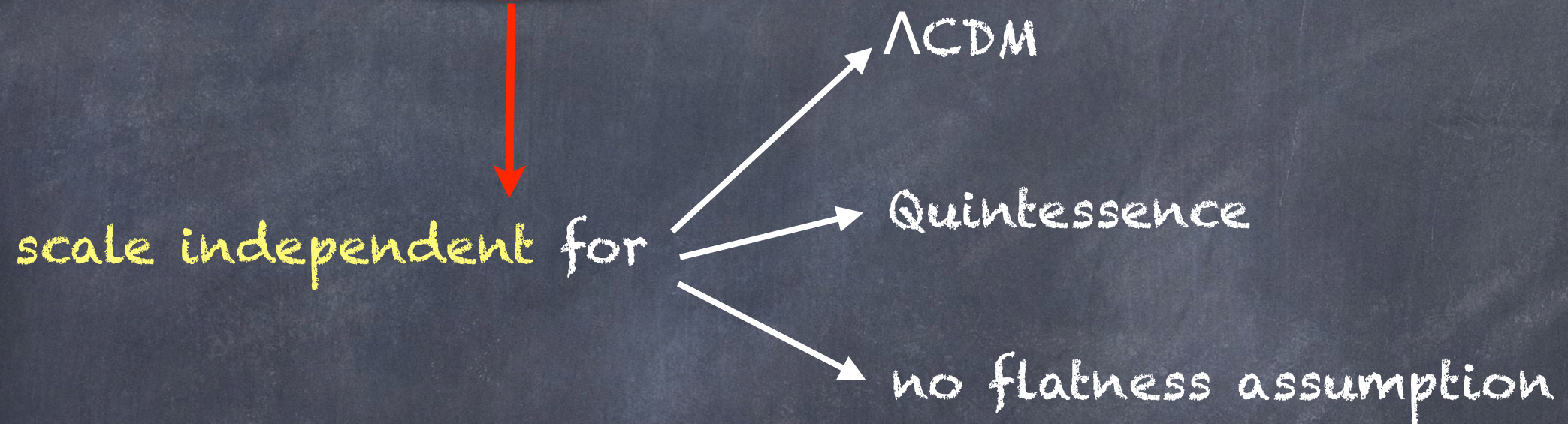
Shanks et al. (1987)

Eisenstein et al (1998)

Bassett, Hlozek (2009)

Linear approx.

$$\xi^{obs}(r, z) = b_{10}(z)^2 D(z)^2 \left(1 + \frac{2\beta}{3} + \frac{\beta^2}{5} \right) \xi_m(r, 0)$$

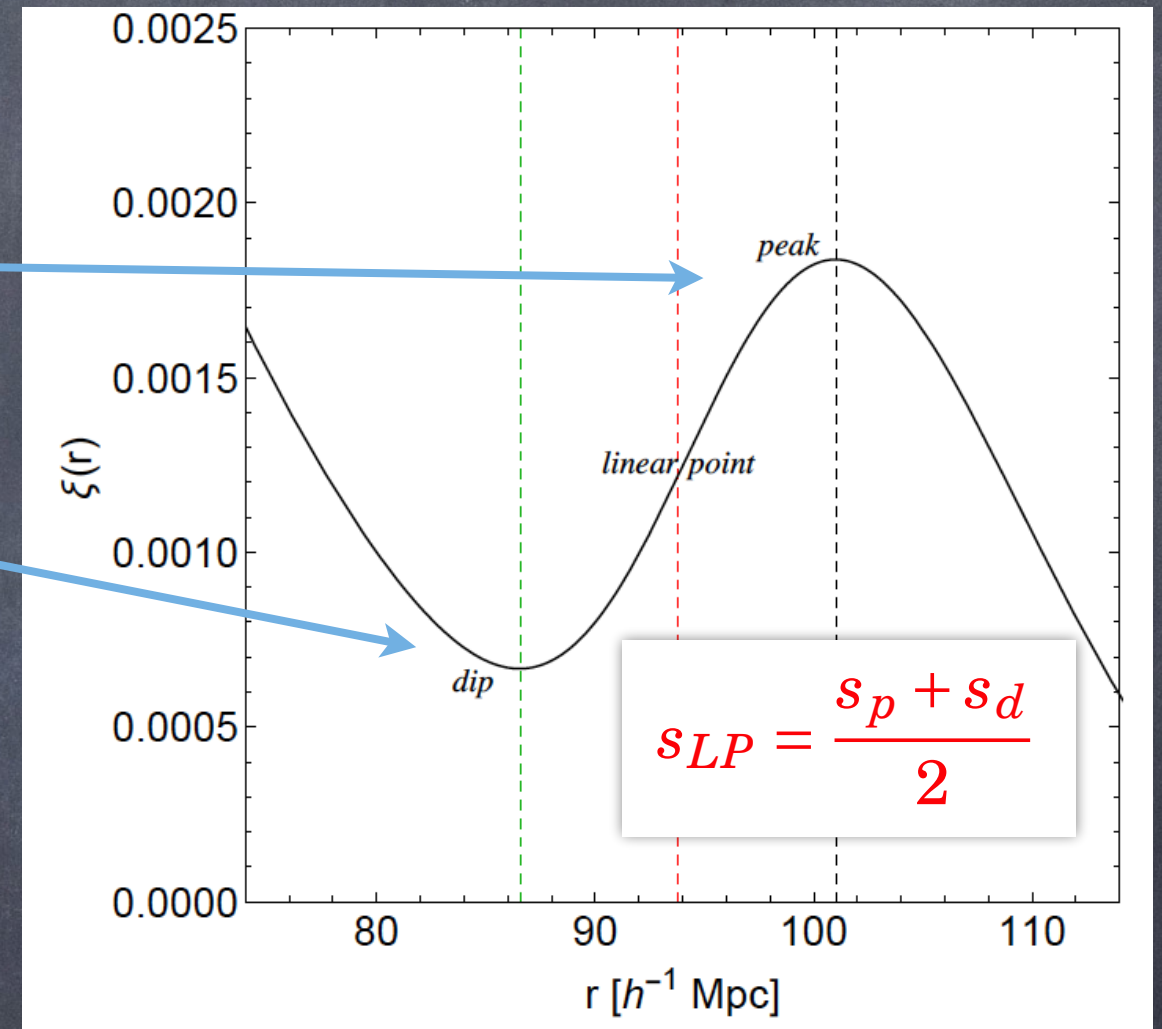


- ⊙ A PREFERRED SCALE in the 2pcf → Time/Model indep.
→ Can measure D_V in model-indep. way!!

New Standard Ruler: the Linear Point

Linear Point definition

- peak (s_p)
- dip (s_d)
- **LINEAR POINT: SLP**
(peak-dip middle point)



Linear Point features

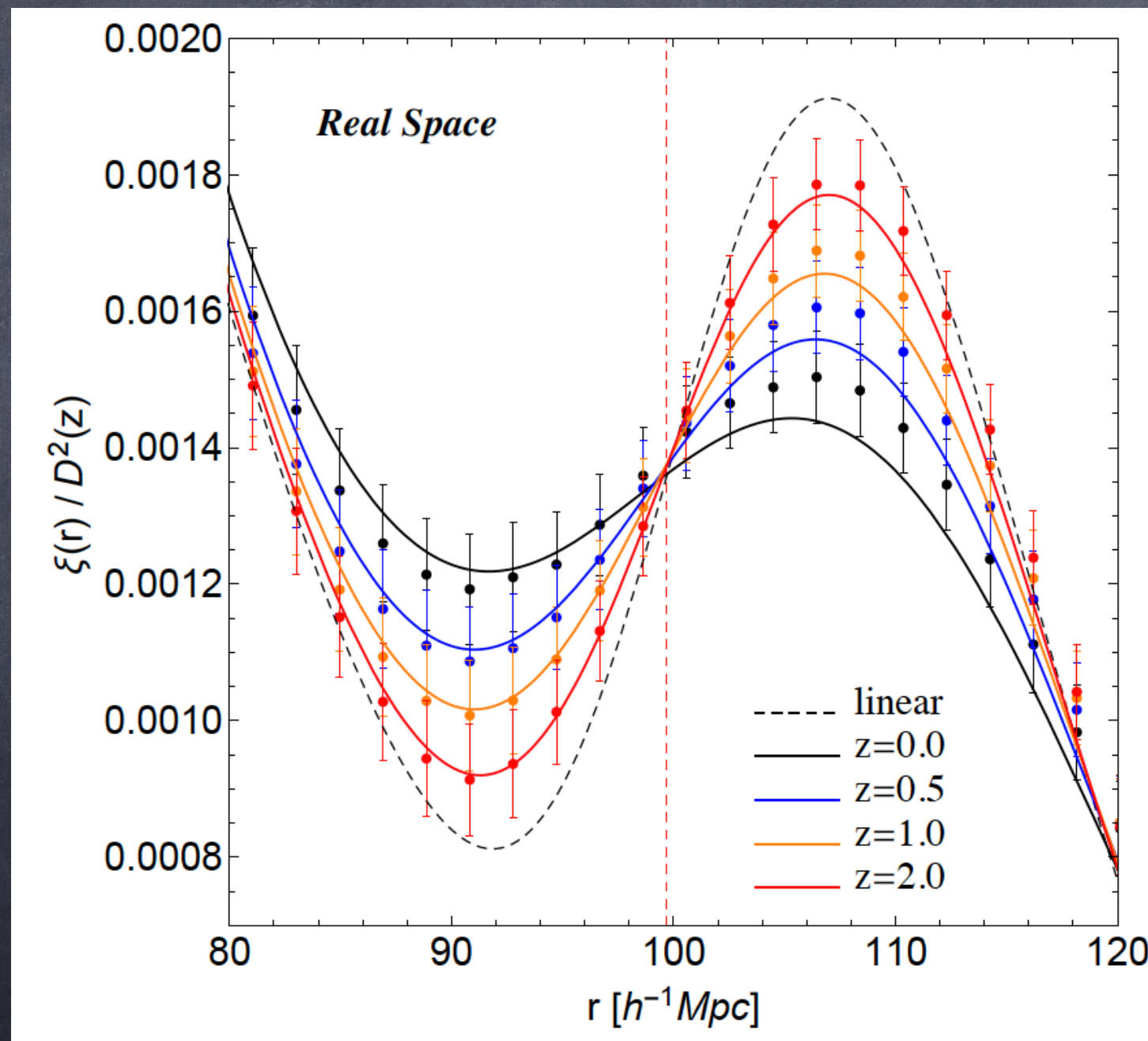
- 1) A geometrical point
- 2) Redshift independent at 0.5%, i.e. **Linear**
Weakly sensitive to: Non-linear gravity, RSD, scale dep. bias
- 3) **Background-Independent** distances

S.A, Starkman, Sheth - MNRAS (2016)

Parimbelli, S.A, et al - JCAP (2021)

... from a "wrong" plot...

Since the CF amplitude is not used for BAO...



NO 2pcf model template

DATA

LINEAR THEORY

$$y \equiv \frac{s}{D_V(z)}$$

$$\xi_0^D \left(y_{LP}^{\text{gal}}(z) \right) = \xi_0^{\text{lin}} \left(\frac{s_{LP}(\omega_b, \omega_c)}{D_V^T(z)} \right) + O(\epsilon)$$

BAD distance

Model-independent
parametric fit

CAMB/CLASS code

$$\xi_0^{\text{fit}}(y) = \sum_{i=0}^5 a_i y^i \longrightarrow y_{LP}^{\text{fit}} = \frac{1}{2} (y_{\text{peak}}^{\text{fit}} + y_{\text{dip}}^{\text{fit}})$$

NO FIXED PARAMETERS!!

⑥ NO fiducial cosmology dependence

distance from SDSS galaxies

- BOSS collaboration; two galaxy samples: **LOWZ** and **CMASS**

Linear Point distance

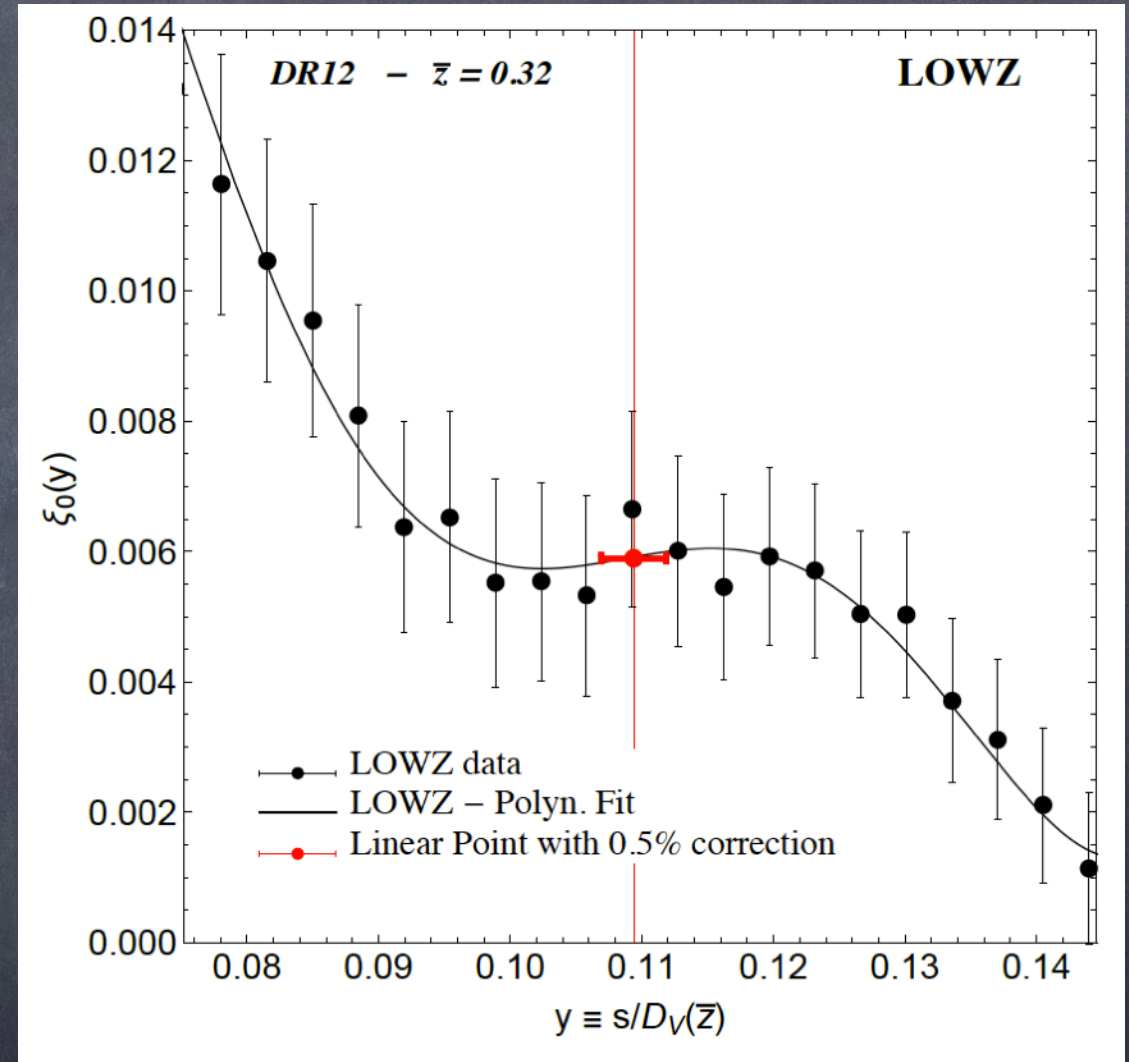
$$D_V^{LP}(\bar{z} = 0.32) = (1264 \pm 28) \text{Mpc}$$

CONSISTENT
smaller errors

Standard BAO

Cuesta et al. (2016)

$$D_V^{BOSS}(\bar{z} = 0.32) = (1247 \pm 37) \text{Mpc}$$



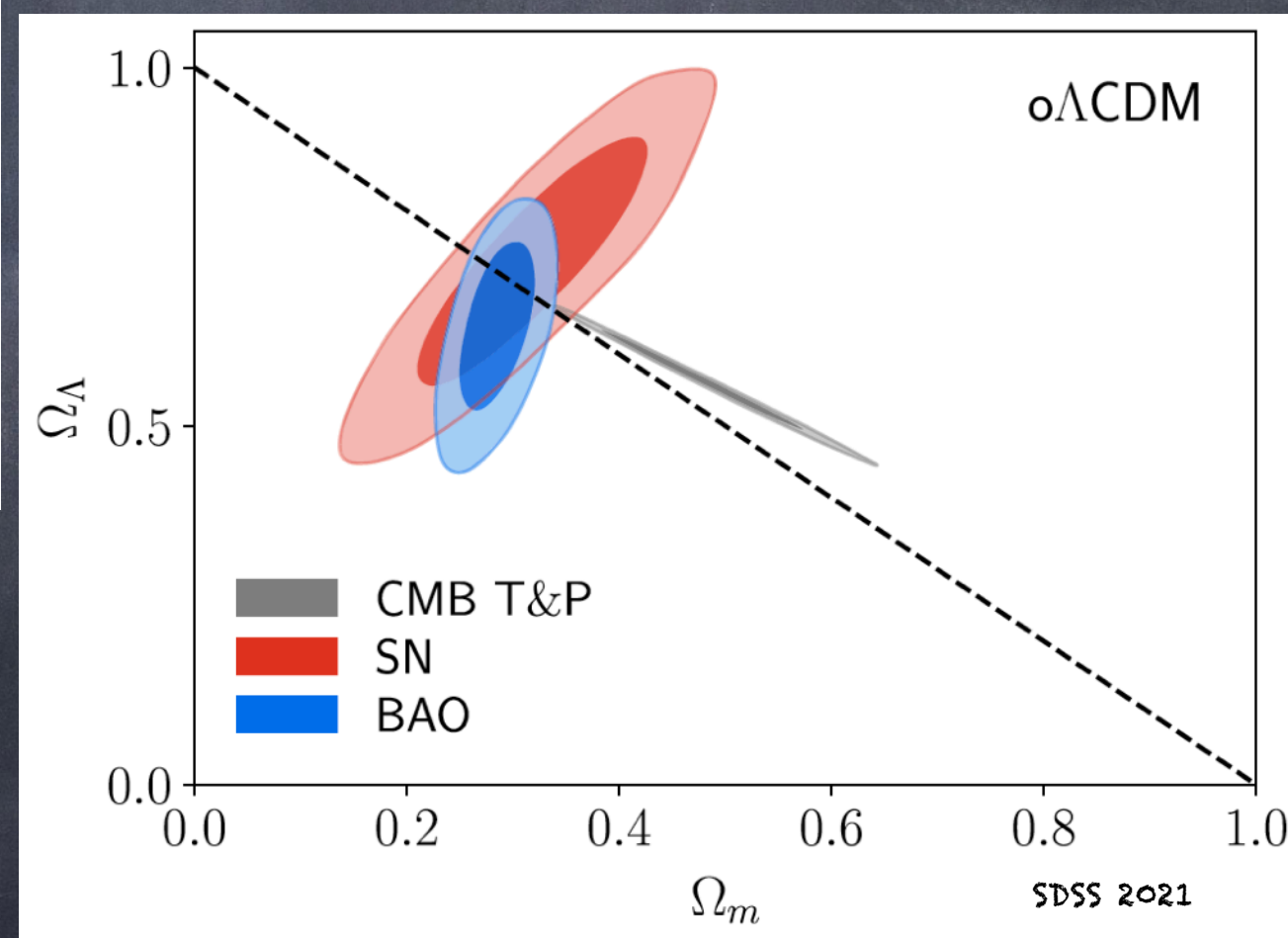
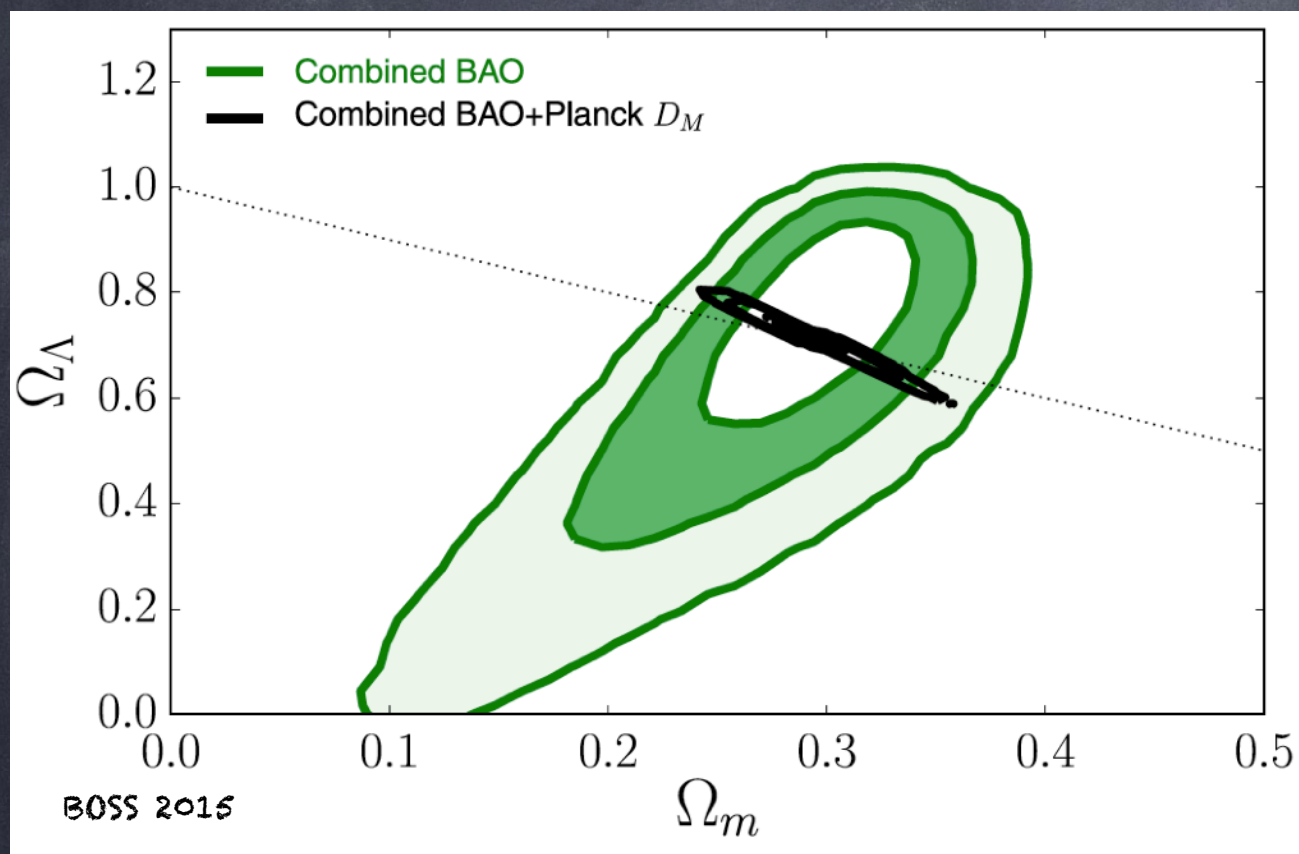
S.A, Corasaniti, Starkman, Sheth, Zehavi - PRL (2018)

S.A, Corasaniti, Starkman, Sheth, Zehavi - PRD (2018)

Dark Energy detection with BAO

S.A., Starkman, Renzi - PRD (2023)

- BAO distances: crucial for "Dark Energy detection"



BAO distances: expectation

- Flexible enough to be used for many purposes.
(e.g. Dark Energy detection, inverse distance ladder, tensions, BAO consistency tests, etc...)
- Possible to use only one BAO distance!

How wide the parameter range should be?

The widest possible...

BAO reconstruction

Eisenstein et al. (2007)

Padmanabhan and White (2009)

- IDEA: recover the "lost information"
approximate non-linear treatment \rightarrow galaxies are "sent back"
to their linear theory positions.
- Data treatment \rightarrow amplify the S/N and reduce non-linear
effects.
- Algorithm inputs - no error propagation
 - growth rate
 - matter-galaxy bias
- Accuracy can be improved

caveats

standard BAO

- Standard BAO fitting: parameters fixed to flat- Λ CDM close to Planck best-fit
- BAO reconstruction: parameters fixed [...]

general

(e.g. validation, covariance)

- flat- Λ CDM: "model" assumed for survey mocks and N-body
- Close to flat- Λ CDM Planck best-fit: sims cosmological params
- We need to model non-linear physics for wide-param range!

DESI: BAO-only (1)

- Template fitting:

$$P_{gg}(k, \mu) = \mathcal{B}(k, \mu) P_{nw}(k) + \mathcal{C}(k, \mu) P_w(k) + \mathcal{D}(k, \mu)$$

assumption

any BAO scaling information
accounted by

$$P_w(k) \sim P_w^{\text{fixed}}(r_d k / r_d^{\text{fixed}})$$



FIXED parameters

$$\theta_{\mu}^{\text{fixed}} = \{\omega_b^F, \omega_c^F, n_s^F\}$$

DESI: BAO-only (2)

- $\mathcal{P}_{gg} \sim$ min. model for $\{B(k, \mu), C(k, \mu)\}$
- $D(k, \mu) \rightarrow$ broadband (unknown residual non-linearities and obs. syst.) based on the fiducial r_d
- BAO distance results: assume BAO-reconstruction

ERROR PROPAGATION ?

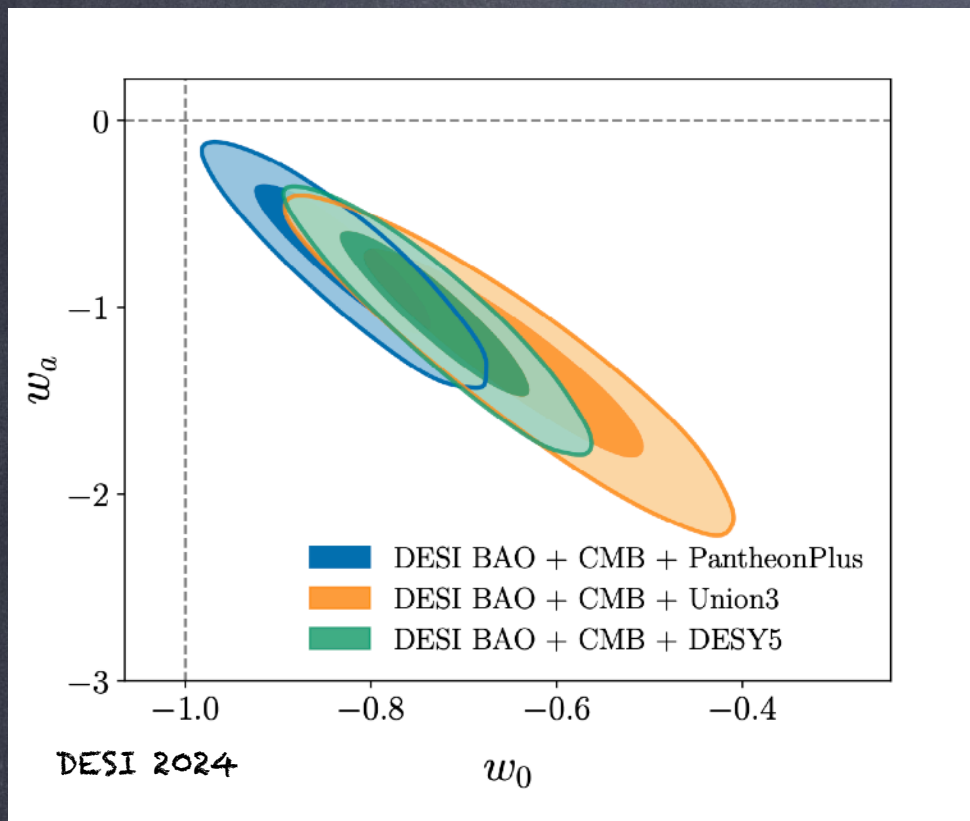
DESI: fiducial

- "true" \rightarrow Planck 2018 cosmology
- Parameters fixed to different values:
parameters for: A.P., P_{gg} "template", "BAO reconstruction" (b, f)
- 4 different cosmologies tested:
variations: $\omega_b \sim 1\%$ $\omega_c \sim 8\%$ $n_s \sim 2\%$ $\sigma_8 \sim 7\%$

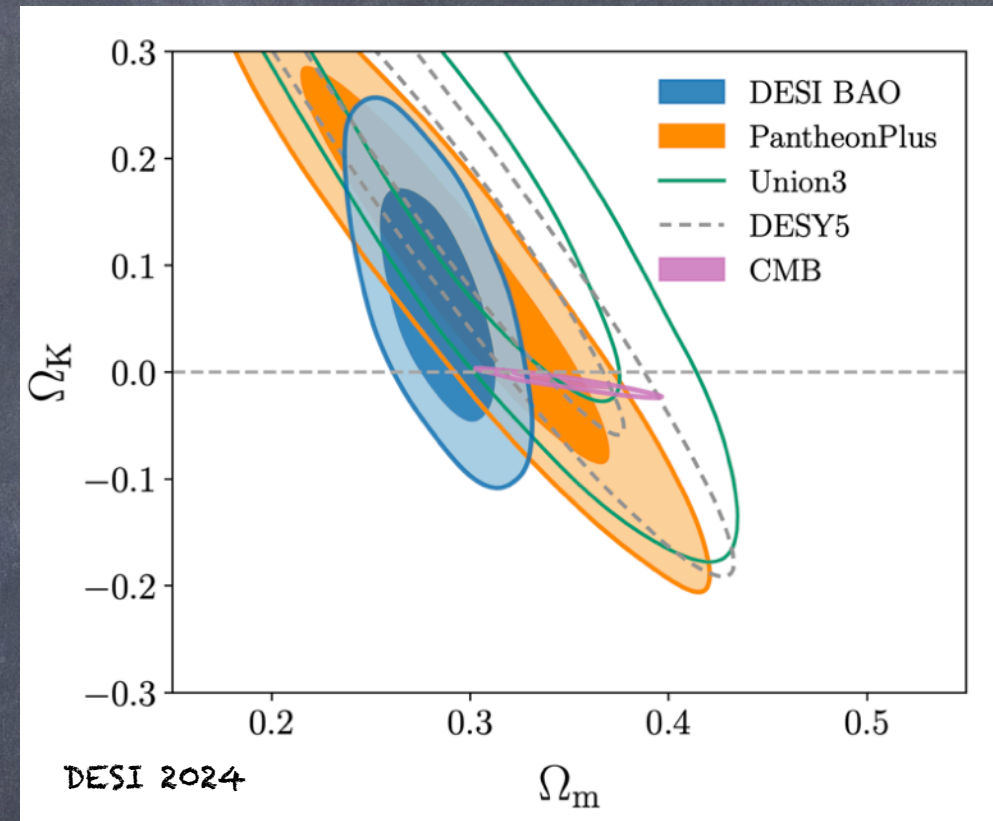
wide parameter range ?

DESI: cosmology

Dark Energy evolution



"Dark Energy detection"



BAO distan. \rightarrow MODEL USED: Matter Perturbations + background
Modif. Gravity? non-quintessence models? DE-DM coupling? ...?

Wide parameter range?

Challenges to Λ CDM from BAO ?

Dynamical Dark Energy...

... or flat- Λ CDM consistency test ?

Vanilla flat- Λ CDM...

... and Λ CDM ?

S.A, Carney, Giblin, Kumar, Mertens, O'Dwyer,
Starkman, Tian - JCAP (2023)

What do we learn about cosmology?

AIM

- Test cosmological model(s) with galaxy-clustering
- Data vs Theory \rightarrow Testing cosmological model(s) assumptions
- Cosm. model \rightarrow Unique galaxy 2pcf

2pcf MODEL

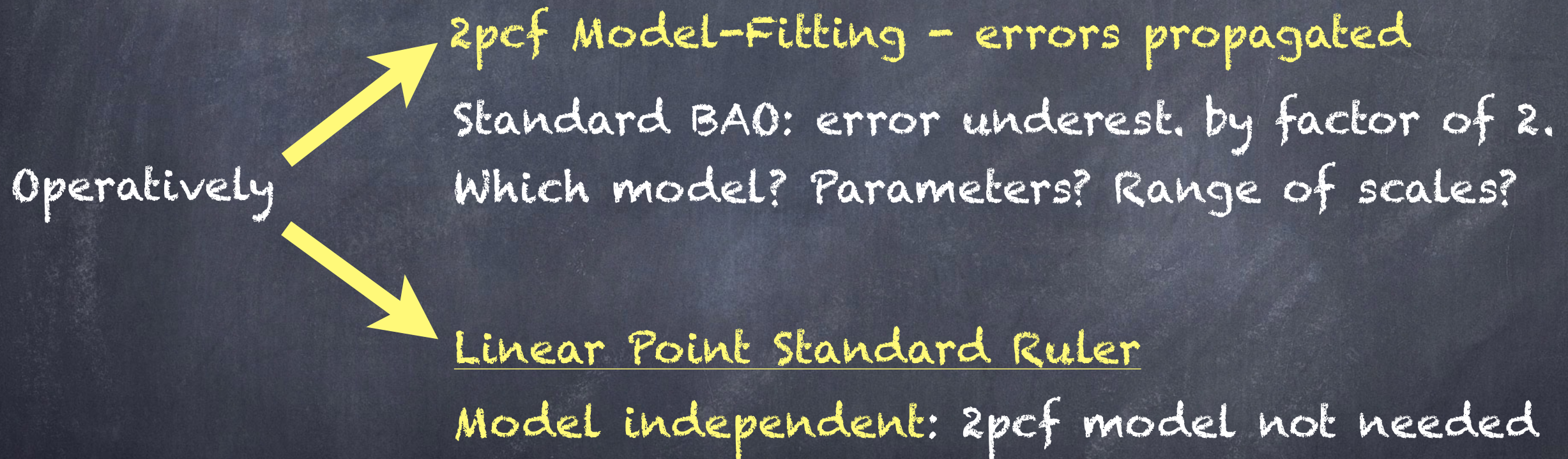
- Galaxy clustering models: add extra assumptions
- Data vs Theory \rightarrow Testing cosmological model(s) + galaxy clustering model assumptions \rightarrow Learning about cosmology?

LINEAR POINT

- Attempt to reduce the non-cosmological assumptions
- Data driven approach

Challenges to use BAO distances

- Cosm. applicability of standard BAO distances: UNCLEAR!
flat- Λ CDM consistency check?
- Purely-Geometric-BAO: Cosmic Distance Measurements
Independent of (some) cosmological background models.



... a lot to do...

Euclid (ongoing); Wide parameter range? Quadrupole 2pcf;
Observational systematics; Combine with other observations; ...

THANK YOU!!